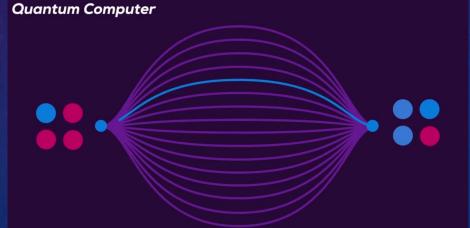
# POST-QUANTUM CRYPTOGRAPHY

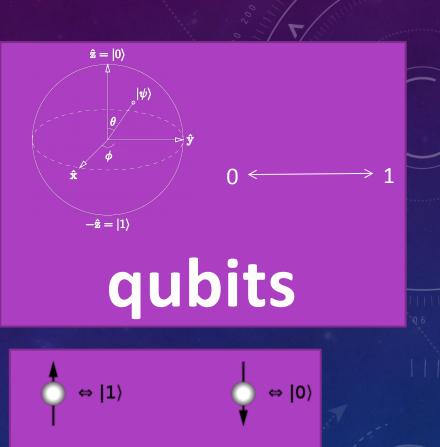
MADE BY: ROBIN VAN GRINSVEN.

NHTV/IADE/EUROPEIA

# QUANTUM COMPUTING

- Niels Bohr: "Anyone who is not shocked by quantum theory has not understood it."
- Richard Feynman The Character of Physical Law (Anon 2014) :"If you think you understand quantum mechanics, you don't understand quantum mechanics."
- Runs many questions at once. But once looked gives 1 answer. (parallel paths 1 answer)
- Orientation changers are it manipulators instead of (X)or/(x)and gates
- 50 qubit.





|0101⟩ ⇔ |5⟩

+ |5)

qubits can be in a superposition of all the

clasically allowed states

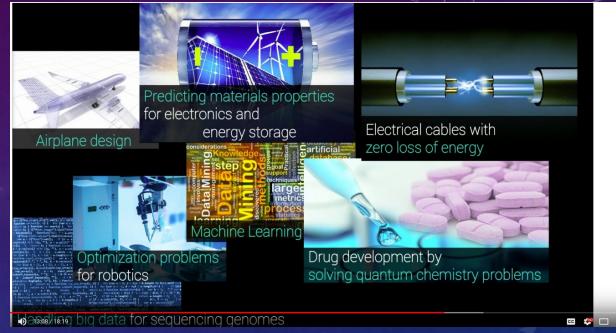
## CURRENT PROBLEMS

- scalable physically to increase the number of qubits;
- qubits that can be initialized to arbitrary values;
- quantum gates that are faster than decoherence time;
- universal gate set;
- qubits that can be read easily.
- Control 5-10 cubits(2015).
- Currently solve the substitute of 15(5X3).
- Making a quantum computer 2 times faster requires 1 qubit. 2n.

# INDUSTRIES

- Astrophysics.
- Pharmaceuticals/Chemistry.
- Weather forecasting.
- Nanotechnology.
- Any simulation.
- Data base theory.(Grover's Algorithm)
- Encryption/Decryption.
- And anything with these problems:
  - guess answers repeatedly and check them.
  - possible answers are equal to the amount of inputs.
  - Every answer takes equal amount of time to check.

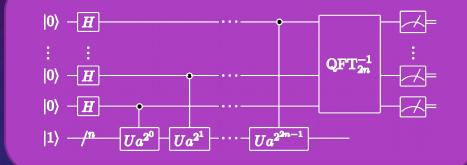




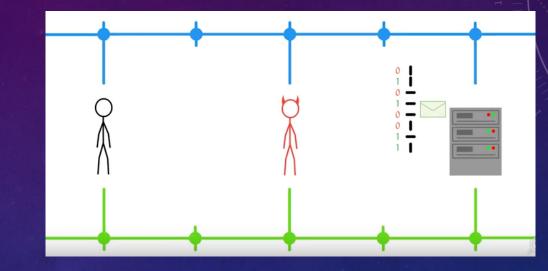
https://www.youtube.com/watch?v=aUuaWVHhx-U

### SHOR'S ALGORITHM

- Peter shor(1994)
- Great for finding the prime factors of a number.(RSA)
- Current performance is 143=11\*13(done on 5 atoms)
- Makes the problem lay in BQP



# QUANTUM DEFENSE



- Quantum to beat quantum
- Exploit the "look" mechanic of quantum
- Need a quantum connection
- Chances are quantum computers will not be in ordinary households.

### CLASSIC COMPUTER DEFENSES

#### implementations

- ring Learning with Errors key exchange
- McEliece cryptosystem
- GoldRiech -Goldwasser- Halevi scheme
- superSingular IdoGeny Diffie helleman key exchange concepts
- Lattice Cryptography
- Multivariate cryptography
- Hash-based cryptography
- Code-based cryptography (1971-encoding)
- Supersingular elliptic curve isogeny cryptography
- Symmetric key quantum resistance

Algorithm	Туре	Public Key	Private Key	Signature
NTRU Encrypt <sup>[34]</sup>	Lattice	6130 B	6743 B	
Streamlined NTRU Prime	Lattice	1232 B		
Rainbow <sup>[35]</sup>	Multivariate	124 KB	95 KB	
SPHINCS <sup>[18]</sup>	Hash Signature	1 KB	1 KB	41 KB
BLISS-II	Lattice	7 KB	2 KB	5 KB
GLP-Variant GLYPH Signature <sup>[10][36]</sup>	Ring-LWE	2 KB	0.4 KB	1.8 KB
New Hope <sup>[37]</sup>	Ring-LWE	2 KB	2 KB	
Goppa-based McEliece <sup>[14]</sup>	Code-based	1 MB	11.5 KB	
Random Linear Code based encryption <sup>[38]</sup>	RLCE	115 KB	3 KB	
Quasi-cyclic MDPC-based McEliece <sup>[39]</sup>	Code-based	1232 B	2464 B	
SIDH <sup>[40]</sup>	Isogeny	751 B	48 B	
SIDH (compressed keys) <sup>[41]</sup>	Isogeny	564 B	48 B	
3072-bit Discrete Log	not PQC	384 B	32 B	
256-bit Elliptic Curve	not PQC	32 B	32 B	

### CODE-BASED CRYPTOGRAPHY

- Key size problem pre quantum security 1024 Kb
- Recommended stategery : McEliece with binary Goppa

Parity check matrix (n = 7, k = 4):

$$H = \begin{pmatrix} 1 & 1 & 0 & 1 & 1 & 0 & 0 \\ 1 & 0 & 1 & 1 & 0 & 1 & 0 \\ 0 & 1 & 1 & 1 & 0 & 0 & 1 \end{pmatrix}$$

An error-free string of 7 bits  $\mathbf{b} = (b_0, b_1, b_2, b_3, b_4, b_5, b_6)$  satisfies these three equations:

$$b_0 + b_1 + b_3 + b_4 = 0$$
  

$$b_0 + b_2 + b_3 + b_5 = 0$$
  

$$b_1 + b_2 + b_3 + b_6 = 0$$

# LWE TECHNIC

- Know to resist quantum computers.
- Part of a solution.
- Inherited in lattice problem

$P = G^*S + E$	G = [5,8,12,16,2,6,11,3,7,10]
S = 5	
E = 12	T =[37, 52, 72, 92, 22, 42, 67, 27, 47,62]
Message = 12	Picked values: [ 52,27,92,42,62]
	275

Sum up: 275 Encrypt : sum + message Encrypt : 287

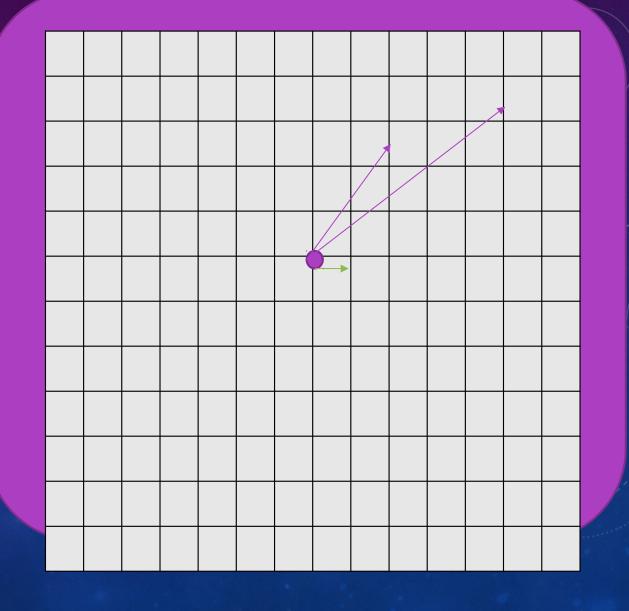
# LATTICE CRYPTOGRAPHY

- Multi dimension geometry based cryptography.
- Shortest vector problem (SVP)
- Closest vector problem(CVP)
- SVP/CVP is know as NP hard.
- NTRU(public key)
- Faster encrypt and decrypt then RSA
- Ideal lattice
- Worst-case

•







### LATTICE CRYPTOGRAPHY

It has the following applications: Public key encryption **CCA-Secure PKE** Identitybased encryption Oblivious transfer Circular secure encryption Leakage resilient encryption Hieracrhical identity based encryption Fully homomorphy encryption(cloud service use) Learning thoery

### HASH-BASED CRYPTOGRAPHY

- Lamport signatures
- Started by ralph merkle in 1970
- Limit amount of numbers of signatures.
- No patent



"Cryptography is a endless battle between the breakers and the builders. Or is it ending?":quote myself.